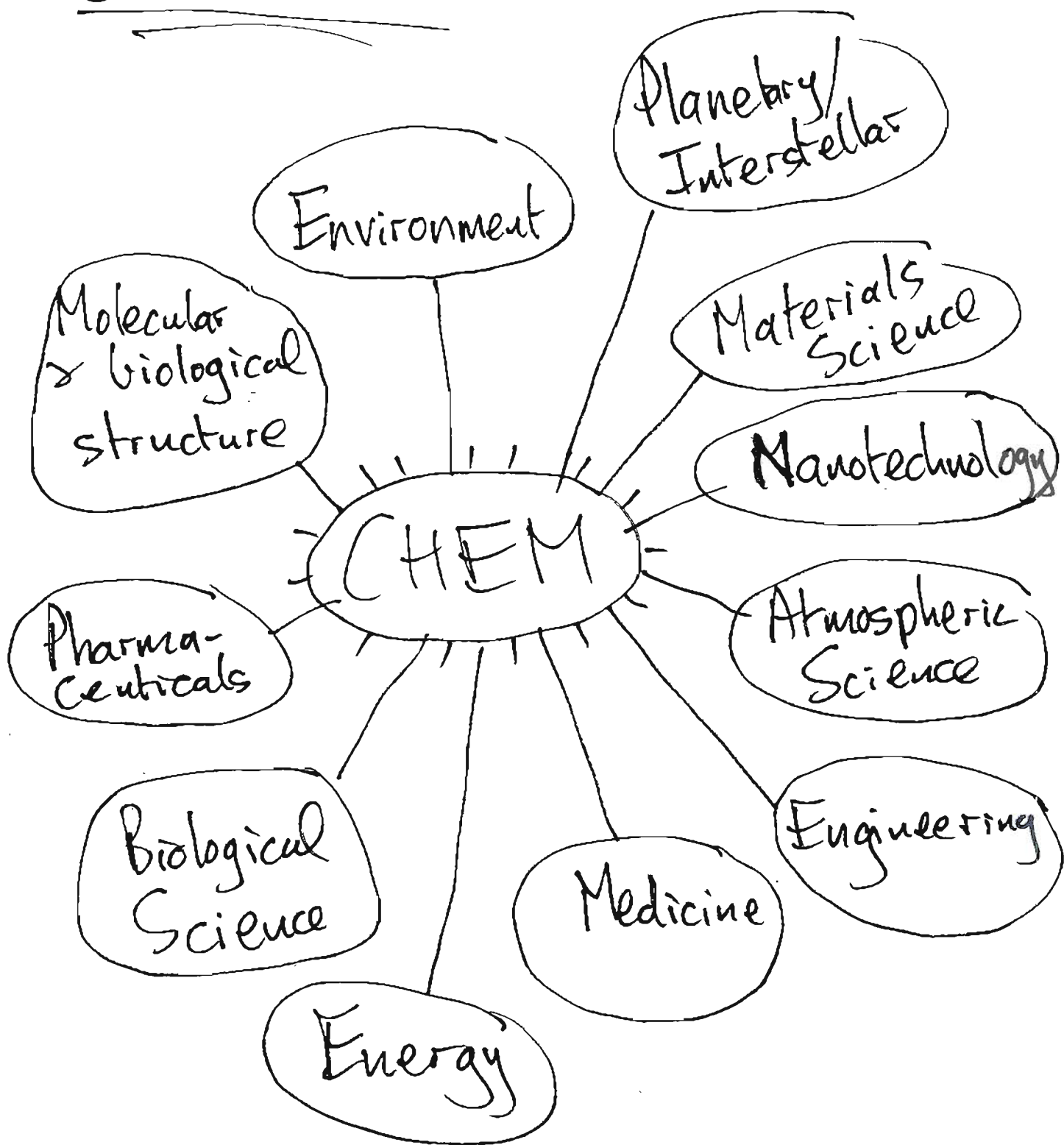


# CHEM 1050



CHEM \*1050

MICROSCOPIC WORLD

Atoms, molecules  
Bonding, Structure  
Spectroscopy  
Quantum mechanics

Differential equations  
Matrix algebra



Statistical methods

MACROSCOPIC WORLD

Bulk Properties  
Solution Equilibria  
Thermodynamics  
Electrochemistry  
Kinetics

Calculus

# THERMODYNAMICS

- the science of the interconversion of different forms of energy  
e.g. heat, mechanical work,  
electrical work, chemical energy, etc.

- an essential foundation for understanding physical and biological sciences

- at the centre of any physical description of living matter

## Key questions

1. Interconversion of energy - how, why, what, etc.
2. Is a particular rxn. possible?
3. How much useful work can be obtained from a rxn.?
- ② 4. Can we understand chemical equilibria?

# THERMOCHEMISTRY (Chapt. 6) <sup>8 Ed 9 Ed</sup> (a subset of thermodynamics) <sup>and 19.1 18.1</sup>

Chemical reactions involve a transfer of energy between the system and the surroundings

## A few definitions

### ① The "SYSTEM"

- the thing under observation, e.g. an engine, an electrical cell, a rx. in a flask ....

The "system" can be:

Open - both mass and energy may leave and enter.

⇒ Closed - energy can be exchanged  
- no mass can enter or leave

Isolated - neither mass or energy may enter or leave.

③

② The SURROUNDINGS are the rest of the universe

③ The STATE of a system is characterised by a set of variables, e.g.  $P, V, T, n$  etc. — these are STATE VARIABLES or STATE FUNCTIONS

These can be classified as either:

<u>Intensive</u>	<u>or</u>	<u>Extensive</u>
<u>Independent</u> of size of system. e.g. $P, T, \dots$		Proportional to size of system e.g. mass, $V, n, \dots$
		U H S G

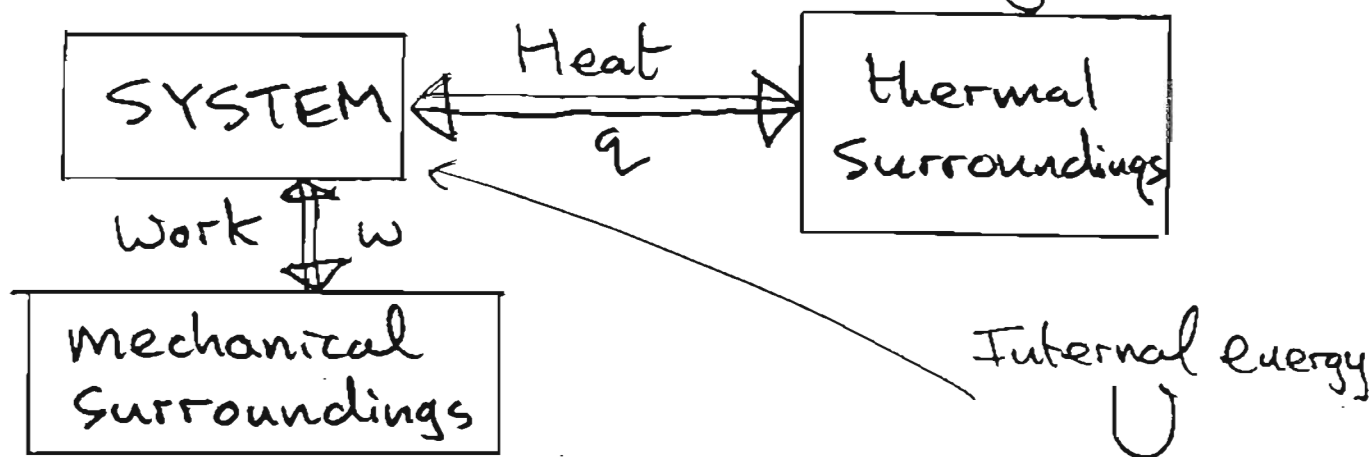
④

# ENERGY TRANSFER

We can transfer energy in and out of a system, with the result that the internal energy of the system,  $U$  (sum of KEs and PEs) may be changed.

Two ways - either as HEAT ( $q$ ) or as WORK ( $w$ ).

[ Another way is by adding or removing MASS  
[ Not encountered in "closed" systems ]



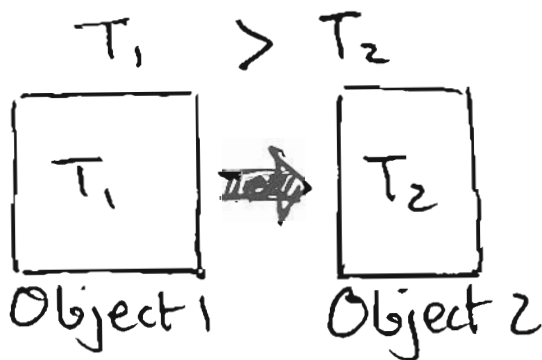
We can change the internal energy,  $U$ , by any combination of  $q$  and  $w$

$$\therefore U_{\text{final}} - U_{\text{initial}} = \boxed{\Delta U = q + w}$$

- a statement of the conservation of Energy. 1st law of thermodynamics.

# Heat energy ... heat transfer ... temperature

$\Delta U = q + w$  tells us that we cannot create or destroy energy, but it can be transferred in and out of the system.

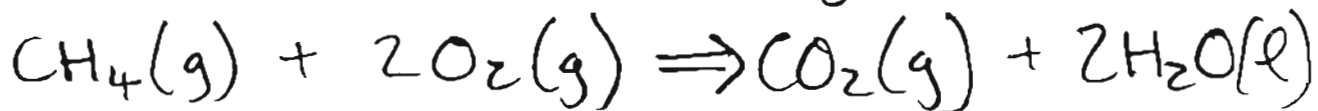


- temperature - an indication of heat content.
- Objects at same  $T$  do not exchange heat energy.
- If  $T$ 's are different, energy (heat) flows from high  $T$  object to low  $T$  object, until thermal equilib. is reached.

Energy flow determined by molecular motions.

⑥

e.g. chemical reactions may release heat to the surroundings



- a combustion reaction
- heat is released ... EXOTHERMIC Rx.  
(arises because of differences in bonding energy of reactants and products)

For other rxs. heat <sup>maybe</sup> ~~is~~ absorbed  
- ENDOTHERMIC

(we will return to this when looking in detail at chemical reactions)

Note:

The amount of heat depends on the size of a system.

i.e. an EXTENSIVE property,  
like, e.g. mass, V, n

(7)

# Sign convention for Work & Heat Processes

<u>Process</u>	<u>Sign</u>
A <u>Work</u> done <u>by</u> the system <u>on</u> the surroundings	-
B <u>Work</u> done <u>on</u> the system by the surroundings	+
C <u>Heat</u> absorbed <u>by</u> the system <u>from</u> the surroundings (endothermic)	+
D) <u>Heat</u> absorbed <u>by</u> the surroundings <u>from</u> the system (exothermic)	-

$W$  and  $q$  are +ve when they tend to increase  $U$  of the system, or work done by the system is a reduction in  $U$ , hence -ve

# WORK

## Examples

### Mechanical

$$w = F \Delta x \quad (\text{force} \times \text{distance})$$

$$\text{Units: } (\text{mass})(\text{accel})(x) = \text{kg m}^2 \text{s}^{-2} \\ \text{kg} \quad \text{ms}^{-2} \quad \text{m} = \text{Nm} = \text{J}$$

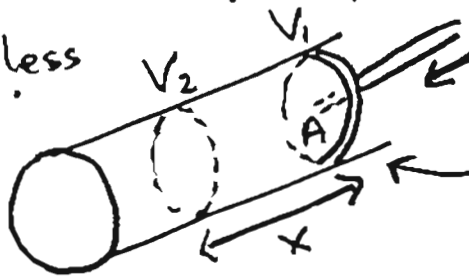
### Electrical

$$w = E \Delta Q \quad (\text{potential} \times \text{charge})$$

$$\text{Units: } (\text{Volts})(\text{Coulombs}) = \text{J} \\ \text{V} \quad \text{C}$$

### Compression/expansion

Frictionless piston.



apply a pressure  $P_{\text{ext}}$

area of piston =  $A$

Work done,  $w = \text{force} \times \text{distance} = F \cdot x$   
(compression)

$$w = \frac{F}{A} \cdot A \cdot x = -P_{\text{ext}} \Delta V$$

work done on the system. Negative sign to account for sign convention (since  $\Delta V = V_2 - V_1 < 0$ )

↳ compression work +ve

Expansion work would be -ve

Units for energy are Joules (J)

$$\boxed{1 \text{ J} = 1 \text{ kg m}^2 \text{ s}^{-2}} \quad \text{SI definition.}$$

i.e. mass  $\times$  velocity<sup>2</sup>

or .. in the case of P $\Delta$ V work (prev. page)

$$W = -P_{\text{ext}} \Delta V \quad (\text{Pa} \cdot \text{m}^3 \text{ or atm} \cdot \text{L})$$

$$\text{Now, Pa} = \text{N m}^{-2} = \text{kg m}^{-1} \text{ s}^{-2}$$

$\uparrow$   
force (mass  $\times$  accel.)

$$\text{So, Pa} \cdot \text{m}^3 = (\text{kg m}^{-1} \text{ s}^{-2}) \cdot \text{m}^3 = \text{kg m}^2 \text{ s}^{-2}$$
$$= \underline{\underline{\underline{\text{J}}}}$$

An older unit - still used is the calorie

$$1 \text{ cal} = 4.184 \text{ J} \quad (\text{by definition})$$

⑩ (non S-I unit)

A couple of Q's.

Q1. A gas sample is heated in a cylinder using 550 kJ of heat. A piston compresses the gas, doing 700 kJ of work. What is the change in internal energy of the system?

$$\Delta U = q + w = +550 \text{ kJ} + 700 \text{ kJ} = \underline{\underline{1250 \text{ kJ}}}$$

Q2. Calculate the work done when 6300 L of an ideal gas (initially at 1.00 atm) is compressed (at constant T) by a constant pressure of 1.40 atm. to a final volume of 45 L.

$$\boxed{w = -P \Delta V} = -1.40 \text{ atm} (V_f - V_i) = \underline{\underline{+8757 \text{ L} \cdot \text{atm}}} \leftarrow \text{work done on system, +ve}$$

Convert to J

$$1 \text{ L} \cdot \text{atm} = ? = 10^{-3} \text{ m}^3 \times 1.013 \times 10^5 \text{ Pa} = \underline{\underline{101.325 \text{ Pa} \cdot \text{m}^3}} \leftarrow \text{J}$$

$$\text{Hence } w = \underline{\underline{+887.3 \text{ kJ}}}$$

Note: The gas constant R is given by,  
 $R = 8.314 \text{ J K}^{-1} \text{ mol}^{-1}$   
 $R = 0.0821 \text{ L} \cdot \text{atm K}^{-1} \text{ mol}^{-1}$

①①